

The proposal is devoted to certain class of perfect ideals in a commutative ring. These are so-called licci ideals. They can be characterized by the fact that their free resolutions can be iteratively constructed from so-called Koszul complexes-the simplest resolutions of ideals of this type.

The licci ideals have good deformation properties: each is a specialization of a rigid one (its Herzog class).

PI with collaborators propose a classification of rigid licci ideals. It depends on a triple  $(c, d, t)$  where  $c$  is a codimension,  $d$ -a deviation and  $t$ - a Cohen-Macaulay type of a given ideal. We say that an ideal  $I$  is of class  $(c, d, t)$  if its codimension is  $\leq c$ , deviation is  $\leq d$  and Cohen-Macaulay type is  $\leq t$ .

The investigators construct for each triple  $(c, d, t)$  countable list of examples of such ideals. The list is connected to combinatorics of the root system associated to a graph  $T_{c-1, d+1, t+1}$ .

The list is finite if and only if  $T_{c-1, d+1, t+1}$  is a graph of  $ADE$  type.

The main conjecture of the proposal says that the constructed list contains all rigid ideals of class  $(c, d, t)$ .